

ATSC 201 Fall 2025

Chapter 9: A1g, A7c, A8g, A10all

Chapter 12: A7g, A8g, A11g

Total marks: 54 marks

Chapter 9

A1g)
(4 marks)

Find the pressure "reduced to sea level" using the following station observations of pressure, height, and virtual temperature. Assume no temperature change over the past 12 hours: g) $P = 90$ kPa, $z = 980$ m, $T_v = 15$ degC.

Given: P_{stn} (kPa) = 90
 z_{stn} (m) = 980
 T_v (degC) = 15
 T_v (K) = 288.15

Find: PMSL = ? kPa

First, use eqn 9.2:

$$\overline{T_v^*} = 0.5 \cdot [T_v(t_o) + T_v(t_o - 12 \text{ h}) + \gamma_{sa} \cdot z_{stn}]$$

where $\gamma_{sa} = 0.0065$ K/m
and $T_v(t_o - 12\text{h}) = T_v(t_o) = 288.15$ K

av $T_v^* = 291.34$ K

Use eqn. 9.1: $P_{MSL} = P_{stn} \cdot \exp\left(\frac{z_{stn}}{a \cdot T_v^*}\right)$

where $a = 29.3$ m/K

PMSL = 100.9 kPa

Check: Units ok. Physics ok.

Discussion: At some stations, the PMSL may be located below the ground.

A7c)
(5 marks)

Photocopy the USA weather map in Fig. 9.19, and analyze it by drawing isopleths for: c) dew point (isodrosotherms) every 5 degF

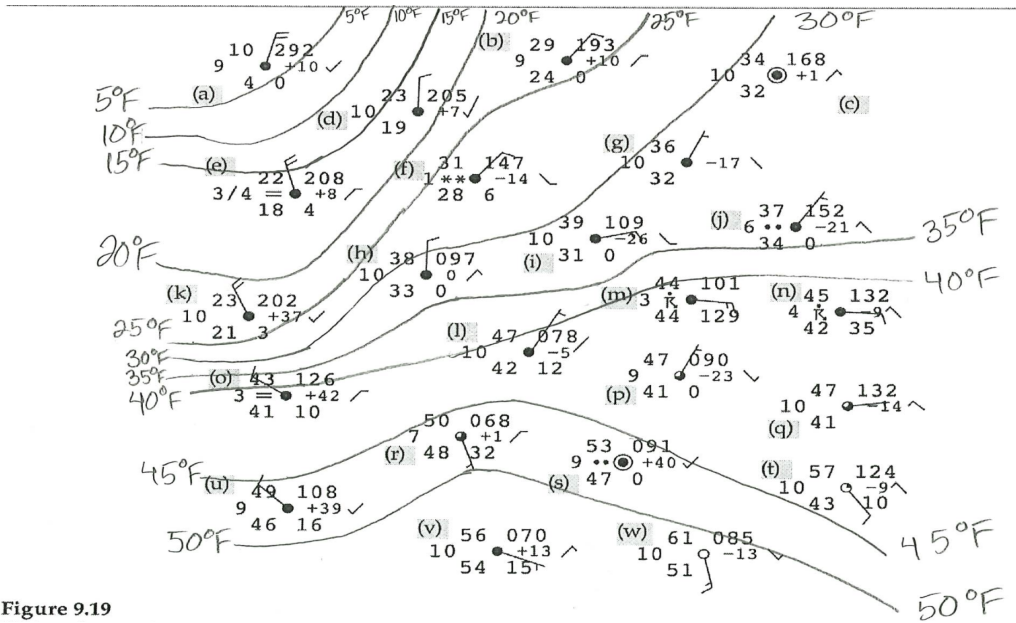
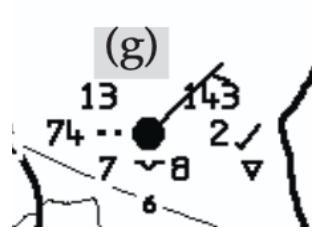


Figure 9.19

Check: Shapes of the isotherms make sense. They don't cross each other.

Discussion: The strong moisture gradient in the west likely represents a frontal boundary.

A8g)
 (10 marks)



T	13 deg C
P	101.43 kPa
visibility =	24 km
	vis = 74
	visibility = vis - 50 (for 56 ≤ vis ≤ 80)
Td	7 degC
current wx	light rain
low cloud	stratocumulus (not from spreading cu)
Nh (low cloud cover)	8 oktas (eighths)
cloud-base height	1,000-1,499 m
past wx	showers
ΔP	0.02 kPa
P tendency	falling/steady, later rising OR rising slowly, later rising faster
total cloud cover	8 oktas (eighths) or "overcast"
wind speed	5 knots
wind direction	from northeast

Discussion: Using a map with multiple station plots, we can easily draw the isobars, isotherms, cloud coverage, and precipitation regions. We can then use analysis to infer where the low pressure centre and its associated cold and warm fronts are.

A10all)

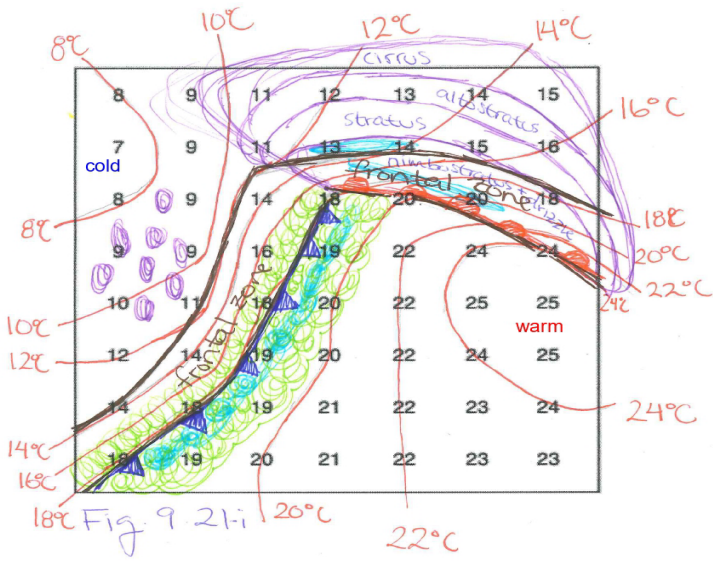
(14 marks)

A10. Both of the weather maps of Fig. 9.21 correspond to the same weather. Do the following work on a photocopy of these charts:

- a. Draw isotherms and identify warm and cold centers. Label isotherms every 2°C.
- b. Draw isobars every 0.2 kPa and identify high and low pressure centers.
- c. Add likely wind vectors to the pressure chart.
- d. Identify the frontal zone(s) and draw the frontal boundary on the temperature chart.
- e. Use both charts to determine the type of front (cold, warm), and draw the appropriate frontal symbols on the front.
- f. Indicate likely regions for clouds and suggest cloud types in those regions.
- g. Indicate likely regions for precipitation.
- h. For which hemisphere are these maps?

Diagrams on next pages.

Discussion: Weather forecasters in training at Environment Canada have to draw diagrams like this every morning!



- isotherms
- frontal boundary
- ▲▲ cold front
- ◐◑ warm front
- ⊖ narrow bands of cumuliform clouds, w possible thunderstorm (both charts)
- ⊖ scattered showers associated w cold front (both charts)
- ⊖ scattered cumulus or stratocumulus (both charts)

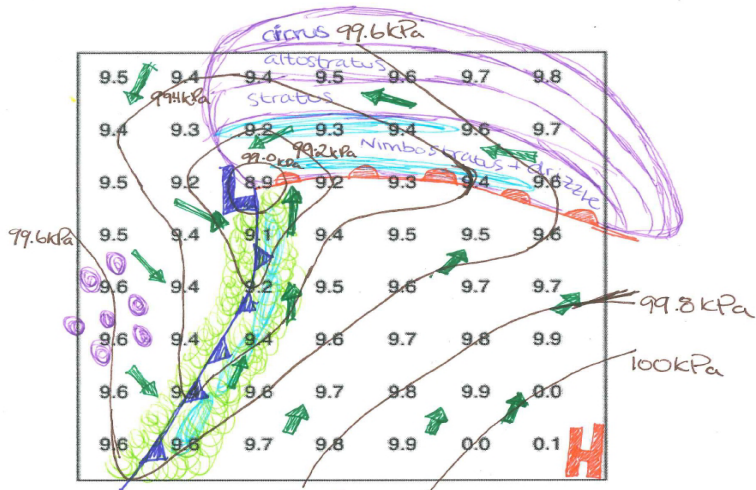




Fig. 9.21-ii 99.8 kPa 100 kPa

- isobars
- L low pressure center
- H high pressure center
- wind vectors

 stratiform clouds preceding a warm front (see chart for types of stratiform clouds)
 rain bands associated w nimbostratus (both charts)

Chapter 12

A7g)

(4.5 marks)

Find the external Rossby radius of deformation at 60° latitude for a cold airmass of thickness 500m and $\Delta\theta$ (°C) of: g) 14. Assume a background temperature of 300K.

Given: $\Delta\theta$ (°C) = 14 or 14K because it's a difference
 ϕ (°) = 60
H (m) = 500
T (K) = 300

Use eqn. 12.5: $a = \lambda_R = \frac{\sqrt{|g| \cdot H \cdot \Delta\theta_v / \overline{T_v}}}{f_c}$

where g = 9.8 m/s²

To find f_c use eqn 10.16: $f_c = 2 \cdot \Omega \cdot \sin\phi$

where $\Omega = 7.29 \times 10^{-5}$ /s

$f_c = 1.26 \times 10^{-4}$ /s

Assume a dry air mass so that $\Delta\theta \sim \Delta\theta_v$, and $T \sim T_v$.

λ_R (m) = 1.20E+05 m
119.76 km

Check: Units ok. Physics ok.

Discussion: above the external Rossby radius of deformation is where the jet stream would be. The fact that cold air masses cannot redistribute cold air to the equator means some other forces will try to redistribute this heat

A8)
(9.5 marks)

Find and plot the airmass depth and geostrophic wind as a function of distance from the front for the cases of the previous exercise. Assume a temperature of 300K.

Given: $\Delta\theta$ (°C) = 14
 ϕ (°) = 60
 H (m) = 500
 T (K) = 300

From A7d the final spillage distance of the front $a = \lambda R = 110.88$ km.
 a (m) = 1.20E+05

Use eqn 12.6:

$$U_g = -\sqrt{|g| \cdot H \cdot (\Delta\theta_v / T_v)} \cdot \exp\left(-\frac{y+a}{a}\right)$$

where y is the distance behind a .
and $g = 9.8 \text{ m/s}^2$

Assume a dry air mass so that $\Delta\theta \sim \Delta\theta_v$, and $T \sim T_v$.

Use eqn 12.7:

$$h = H \cdot \left[1 - \exp\left(-\frac{y+a}{a}\right) \right]$$

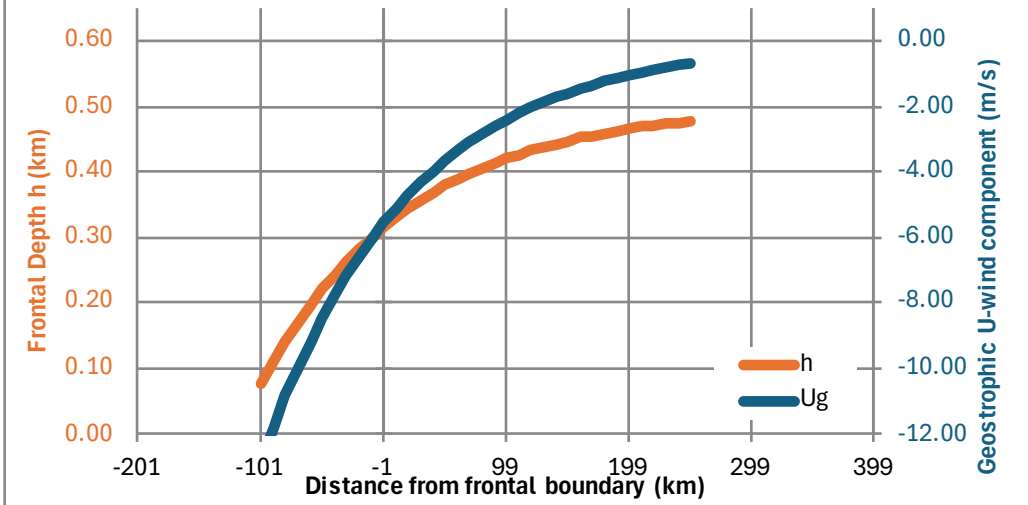
y (km)	U_g (m/s)	h (km)
-100	-12.82	0.0761
-90	-11.79	0.1100
-80	-10.85	0.1413
-70	-9.98	0.1700
-60	-9.18	0.1964
-50	-8.45	0.2207
-40	-7.77	0.2431
-30	-7.15	0.2637
-20	-6.57	0.2826
-10	-6.05	0.3000
0	-5.56	0.3161
10	-5.12	0.3308
20	-4.71	0.3444
30	-4.33	0.3568
40	-3.98	0.3683

50	-3.66	0.3788
60	-3.37	0.3885
70	-3.10	0.3975
80	-2.85	0.4057
90	-2.62	0.4132
100	-2.41	0.4202
110	-2.22	0.4266
120	-2.04	0.4325
130	-1.88	0.4379
140	-1.73	0.4429
150	-1.59	0.4474
160	-1.46	0.4516
170	-1.35	0.4555
180	-1.24	0.4591
190	-1.14	0.4624
200	-1.05	0.4654
210	-0.96	0.4681
220	-0.89	0.4707
230	-0.82	0.4730
240	-0.75	0.4752
250	-0.69	0.4772

Check: Units ok. Physics ok.

Discussion: this h vs y plot confirms Fig. 12.17b, where the depth of the cold air mass increases with distance into the cold air mass. Fig 12.17b also shows U_g being strongest at the air mass boundary ($y=-a$) and then decreasing in strength further back into the cold air mass.

Change in geostrophic wind & depth of cold air behind a cold front



A11g)
(7 marks)

Plot dryline movement with time, given the following conditions. Surface heat flux is constant with time at kinematic rate 0.2 K*m/s. The vertical gradient of potential temperature in the initial sounding is γ . Terrain slope is $s = \Delta z / \Delta x$. γ (K/km) = 12, $s = 1/300$.

Given: $\gamma = 12$ K/km 0.012 K/m
 $s = 1/300 = 0.003333$
 FH = 0.2 K*m/s

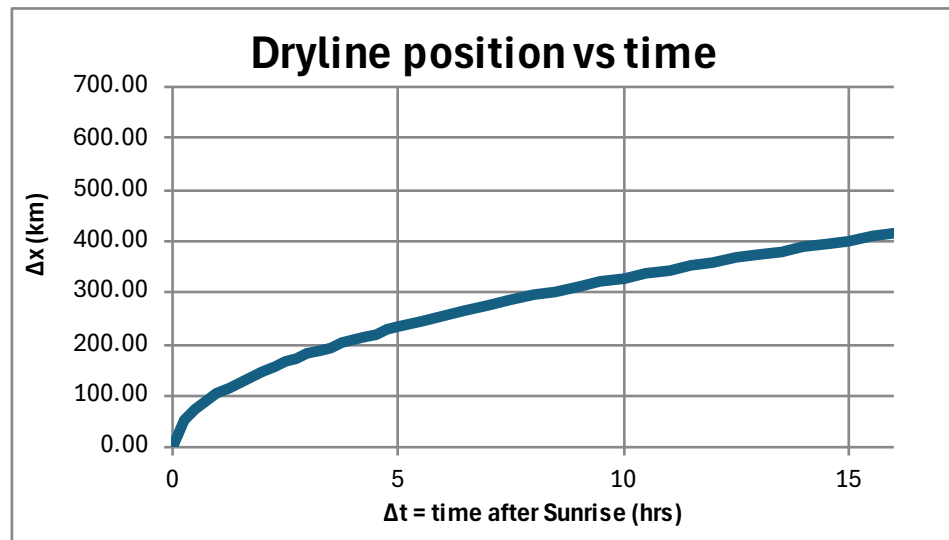
Plot Δx vs Δt (the dryline movement with time).

From Sample Application, $Q_{AK} = FH * \Delta t$.

Use eqn 12.15:

$$\Delta x = \frac{1}{s} \left(\frac{2 \cdot Q_{AK}}{\gamma} \right)^{1/2}$$

Δt (hrs)	Δx (km)
0	0.00
0.25	51.96
0.5	73.48
0.75	90.00
1	103.92
1.25	116.19
1.5	127.28
1.75	137.48
2	146.97
2.25	155.88
2.5	164.32
2.75	172.34
3	180.00
3.25	187.35
3.5	194.42
3.75	201.25
4	207.85
4.25	214.24
4.5	220.45
4.75	226.50
5	232.38
5.5	243.72
6	254.56



6.5	264.95
7	274.95
7.5	284.60
8	293.94
8.5	302.99
9	311.77
9.5	320.31
10	328.63
10.5	336.75
11	344.67
11.5	352.42
12	360.00
12.5	367.42
13	374.70
13.5	381.84
14	388.84
14.5	395.73
15	402.49
15.5	409.15
16	415.69

Check: Units ok. Physics ok.

Discussion: This plot does not take into account night time, when convective turbulence ceases and prevailing low altitude easterlies advect moist air back towards the west.